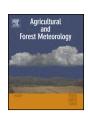
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Estimating time series of land surface energy fluxes using optimized two source energy balance schemes: Model formulation, calibration, and validation



Guojing Gan a,b, Yanchun Gao a,*

- ^a Key Laboratory of Water Cycle and Related Land Surface Processes, Institute of Geographical Sciences and Natural Resources Research, Chinese Academy of Sciences, P.O. Box 9719, Beijing 100101, China
- ^b University of the Chinese Academy of Sciences, Beijing 100049, China

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ABSTRACT

Due to the limited availability of land surface temperature (LST) images, thermal-based evapotranspiration (ET) models can only provide instantaneous ET snapshots. In contrast, models that are based on near surface soil moisture (SM) and leaf area index (LAI) can operate at daily scales. However, their transpiration schemes need to be more physically realistic and their model parameters usually need to be calibrated by flux measurements. In this study, we incorporated a biophysical canopy conductance (Gc) model into a two source energy balance (TSEB) scheme to replace the original Priestly-Taylor (PT) approximation and then optimized both models (Gc-TSEB and PT-TSEB) at pixel scales using qualified MODIS LST data. The results show that using LST is almost as effective in the calibration as using flux measurements. This is promising because unlike flux measurements, LST can be acquired at various spatial resolutions by remote sensing, which makes model calibration feasible for any land pixel. In addition, ET and its partitioning between the canopy and soil layers were found to be reasonable at both validation sites. The day to day and diurnal variations of the predicted ET generally matched the trends and peaks of the flux measurements, although systematic biases were also found due to the decoupling effect of soil moisture at different depths. Furthermore, both models are robust with $\pm 50\%$ changes of SM or LAI because the parameters were automatically adjusted by the LST-calibration. The models are sensitive to LST. However, if the added noise of the LST is less significant than $N(\pm 1, 2.5^2)$, the medians of the RMSEs in the LE predictions from the LST-calibrated models were quite similar to those from the flux-calibrated models. Both models were found to be accurate, but Gc-TSEB provides slightly more precise and robust predictions than PT-TSEB.

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1. Introduction

Evapotranspiration (ET), which includes evaporation and plant transpiration, is a crucial hydro-meteorological component that influences water availability and energy partitioning at the land surface. More than 60% of the land surface precipitation and over half of the solar radiation that are absorbed by the land surface are consumed by ET on annual time scales (Oki and Kanae, 2006; Trenberth et al., 2009, 2007). Quantifying the spatial variability of ET is important for increasing our understanding of the hydrological

cycle, ecology system, and water resource management (McCabe and Wood, 2006).

Remote sensing has long been recognized as the most feasible way to estimate land surface ET (usually expressed as its accompanying energy flux, the latent heat flux, which is denoted as LE) over regional and global scales (Kustas and Norman, 1999; Mu et al., 2011). Diagnostic ET models mainly use remotely sensed land surface temperature (LST), near surface soil moisture or leaf area index (LAI) as key boundary conditions to determine LE through surface energy balance equations.

One such diagnostic model that uses LST, the two source energy balance model (TSEB_{TR}) that was developed by Norman et al. (1995), has been widely applied to various landscapes (Colaizzi et al., 2012; French et al., 2005) and has been shown to be superior to other thermal-based models (Gao and Long, 2008; Timmermans et al., 2007). Transpiration is estimated in TSEB_{TR} through the

^{*} Corresponding author. Tel.: +86 01064888991.

E-mail addresses: ganguojing10@gmail.com (G. Gan), gaoyanc@igsnrr.ac.cn
(Y. Gan)

Priestly–Taylor (PT) approach (Priestley and Taylor, 1972) with the coefficient (α_{PT}), which is initially set to 1.26 and can be adjusted if the calculated soil evaporation is unrealistic. In addition, studies that incorporate canopy conductance (G_c) models into TSEB schemes have found that G_c models are useful in modeling instantaneous transpiration under various atmospheric and soil moisture conditions if LST is used as a key constraint (Anderson et al., 2008, 2000; Zhan and Kustas, 2001).

TSEB_{TR} does not require calibration, but the extrapolation of instantaneous LE from TSEBTR to continuous daily series is still not well understood, especially under cloudy conditions. To address this problem, Kustas et al. (2001, 1998, 1999) replaced LST with microwave-derived near surface $(0 \sim 5 \text{ cm})$ soil moisture as a key boundary condition within the TSEB framework (denoted as TSEB_{SM}) to estimate daily ET. Soil evaporation is constrained by the near surface soil moisture through two soil texture-dependent coefficients (Sellers et al., 1992). Although the model performance was found to be sensitive to these two coefficients (Li et al., 2006), no study has provided corresponding values of these coefficients for each type of soil texture. In addition, TSEB_{SM} cannot easily adjust α_{PT} (Kustas et al., 2003) to accommodate a range of environmental conditions because LST is not included in the model. Modeling transpiration in a more physically realistic way and calibrating the model parameters are necessary before TSEB_{SM} can be widely applied.

In addition to utilizing LST and soil moisture, many studies have also integrated the remotely sensed LAI into the G_c -based Penman–Monteith (PM) approach (Monteith, 1965; Penman, 1948) to estimate daily ET (Cleugh et al., 2007; Mu et al., 2007). Gc-PM models are usually calibrated at pixel scales by eddy covariance (EC) flux measurements (Leuning et al., 2008) or at catchment scales by runoff measurements (Zhang et al., 2008, 2010). In addition, Yan et al. (2012) used a soil water balance sub-model to scale potential ET from a Gc-PM model to actual ET and thus avoided the need for site-specific parameter calibration.

Calibrating ET models that are based on soil moisture or LAI at pixel scales without in-situ measurements is of great practical significance. Several studies have successfully used ET estimated by thermal-based models to calibrate daily-scale models (Liu, 2012; Long and Singh, 2010). However, it is more intriguing to calibrate model parameters at pixel scales using remotely sensed LST without introducing additional errors other than the uncertainty of the LST itself.

In this study, we incorporated the G_c model that was developed by Leuning et al. (2008) into TSEB_{SM} to replace the original PT formulation and evaluated the strength of using the quality-controlled MODIS LST in optimizing resistance networks of the TSEB model (including the Gc version, Gc-TSEB, and the PT version, PT-TSEB). Because LST is an important indicator of the energy balance and thermal state of the land surface, the models are expected to give reasonable energy fluxes when they predict the best LST with the optimized parameters. The calibrated models were used to calculate energy fluxes at a half hourly resolution without remotely sensed LST data. EC flux measurements and predictions from models that were calibrated by flux data were used as references to evaluate the LST-calibrated models at half hour and daytime scales. We also performed sensitivity analyses to test the robustness of both models with ±50% changes of LAI or near surface soil moisture as well as a series of assumed uncertainties of the LST itself.

2. Resistance networks of the models

A resistance network links the instantaneous surface state (LST and soil moisture) to the energy fluxes. In this section, we provide a detailed description of the models' resistance networks (Fig. 1),

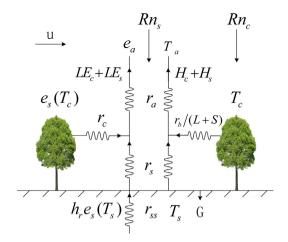


Fig. 1. Resistance network of the model.

in which most of the components are adopted from the original TSEB model (Kustas et al., 1998; Norman et al., 1995), and some are updated by recent studies from the literature.

The term $r_a(z_h)$ represents the aerodynamic resistance, which is estimated from the wind speed and surface roughness (Li et al., 2005). The canopy conductance (G_c) is modeled as a function of the LAI, water vapor deficit (D_a), and visible radiation (Q_h) (Leuning et al., 2008).

$$G_{\rm c} = \frac{g_{\rm sx}}{k_{\rm O}} \ln \left[\frac{Q_{\rm h} + Q_{\rm 50}}{Q_{\rm h} \exp(-k_{\rm O} LAI) + Q_{\rm 50}} \right] \left[\frac{1}{1 + D_{\rm a}/D_{\rm 50}} \right]$$
(1)

where $g_{\rm sx}$ is the maximum stomatal conductance, $k_{\rm Q}$ is the extinction coefficient for shortwave radiation, $Q_{\rm 50}$ and $D_{\rm 50}$ are the visible radiation and the humidity deficit, respectively, when the stomatal conductance is half of its maximum. $g_{\rm sx}$, $k_{\rm Q}$, $Q_{\rm 50}$, and $D_{\rm 50}$ are the parameters to be calibrated. The canopy resistance ($r_{\rm c}$) is the reciprocal of the canopy conductance.

$$r_{\rm c} = \frac{1}{G_{\rm c}} \tag{2}$$

The leaf boundary layer resistance (r_b) represents the resistance exerted by leaves on the canopy heat fluxes and is formulated as in the Community Land Model (Oleson et al., 2010).

$$r_{\rm b} = \frac{20}{\sqrt{U_*}} \tag{3}$$

where u^* is the friction velocity, which represents the surface shear stress. L and S (Fig. 1) are the LAI and stem area index, respectively.

The resistance to sensible and latent heat fluxes between the soil surface and the canopy displacement height (under-canopy resistance, r_s) is formulated as in the Community Land Model (Zeng et al., 2005) instead of the original formulation in TSEB.

$$r_{\mathsf{S}} = \frac{1}{(c_{\mathsf{S}} u_*)} \tag{4}$$

where c_s is the turbulent transfer coefficient, which is obtained by the interpolation between the values for the bare soil and dense canopy (Zeng et al., 2005).

$$c_{\rm s} = c_{\rm s,bare} w_{\rm s} + c_{\rm s, dense} (1 - w_{\rm s}) \tag{5}$$

$$c_{s,bare} = \frac{k}{a} \left(\frac{z_{0m,g} \ u_*}{v} \right)^{-0.45}$$
 (6)

where $z_{0m,g}$ is the ground momentum roughness length, which is taken as 0.01 m; $\nu = 1.5 \times 10^{-5} \, \text{m}^2 \, \text{s}^{-1}$ is the kinematic viscosity of air, a = 0.13, and $c_{\text{s. dense}}$ is taken as 0.004 (Zeng et al., 2005).

The formulation of the empirical interpolation weight, w_s , must satisfy the criteria that c_s approaches $c_{s, \, \text{bare}}$ when there is no vegetation and approaches $c_{s, \, \text{dense}}$ when the vegetation is dense. w_s was empirically defined as $e^{-(L+S)}$ in Zeng et al. (2005) and accounts for the impacts of the leaf and stem areas of the canopy on c_s . Note that u^* only represents the shear stress on the canopy top, so the canopy height should be included in the formulation of c_s . We formulated the interpolation weight as $e^{-L-\Omega h_c}$ to account for the effects of both LAI and canopy height on c_s . The stem area index is related to the canopy height, so its impact is included in Ω , which is a parameter to be calibrated.

The original TSEB model calculates $r_{\rm s}$ according to the attenuating effects of vegetation on wind speed ($u_{\rm s}$, typically at 0.05–0.2 m) inside the canopy (Eq. (7)). Norman et al. (1995) suggested that as the vegetation becomes sparse, the calculation of $u_{\rm s}$ through exponential wind profile should be modified to be larger; however, it is unclear when and how to adjust $u_{\rm s}$ when the vegetation fraction tends to be 0. As a result, although no study (to our knowledge) has shown that the formulation of Zeng et al. (2005) is more accurate than that of Eq. (7), we use it because they provide convergent $r_{\rm s}$ estimates as the vegetation cover varies from 1 to 0. Such consistency is important because our study period covers all of the growing stages of the corn at the crop site, and the grass at the grass site remains approximately only 0.05 m high for most of the period.

$$r_{\rm S} = \frac{1}{a + bu_{\rm S}} \tag{7}$$

The surface soil resistance (r_{ss}) to latent heat transfer is estimated by an exponential function of the near surface soil moisture (Sellers et al., 1992).

$$r_{\rm ss} = \exp\left(a_0 - a_1 \frac{w}{w_{\rm sat}}\right) \tag{8}$$

where w is the near surface soil moisture content (volumetric content) and w_{sat} is the saturated soil moisture content. The coefficients a_0 and a_1 , which were taken as 8.2 and 4.3, respectively, in previous studies (Kustas et al., 1998; Sellers et al., 1992), will be calibrated in this study.

The soil heat flux (G) is estimated as a constant part of the net radiation of the soil layer (Rn_s) . The unknown ratio α_G represents the ability of the soil to conduct heat flow and requires calibration.

$$G = \alpha_{\rm G} R n_{\rm S} \tag{9}$$

3. Calculation and calibration procedures

The models are based on the surface energy balance between the net radiation and heat fluxes. To determine the net radiation, we need to know LST. The net radiation is partitioned between the canopy and soil layers. The LST components and heat fluxes in both layers can be uniquely determined through energy balance equations. In this way, the LST and net radiation are coupled; once they are solved by iteration, the heat fluxes are simultaneously determined.

The step by step calculation procedures (Fig. 2) are explained below. All of the resistance terms are described in Section 2. Subscripts c and s indicate the canopy and soil layers, respectively.

- 1) Initiate the LST as air temperature (T_a).
- 2) Compute the net radiation (R_n) of the land surface and determine its partitioning between the canopy and soil layers.

$$R_{\rm n} = (1 - \alpha)R_{\rm S} \downarrow +\epsilon_{\rm S}R_{\rm I} \downarrow -\epsilon_{\rm S}\sigma LST^4$$
 (10)

where $R_s\downarrow$ and $R_l\downarrow$ are the incoming short wave and long wave radiation, respectively. α and ϵ_s are the land surface albedo and

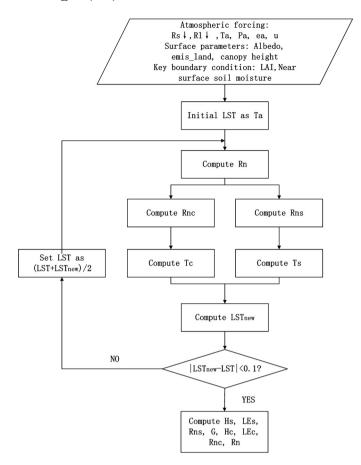


Fig. 2. Flow chart of the calculation procedure.

emissivity, respectively, and σ is the Stefan–Bolzmann constant (5.67 $\times\,10^{-8}\,Wm^{-2}\,K^{-4}$).

The net radiation is partitioned through an exponential function (Anderson et al., 1997) of the LAI, solar zenith angle (θ_s) and extinction coefficient (κ) (Norman et al., 2000).

$$Rn_{c} = Rn \left\{ 1 - \exp[-\kappa LAI/\sqrt{2\cos(\theta_{s})}] \right\}$$
 (11)

$$Rn_{\rm s} = Rn \exp[-\kappa LAI/\sqrt{2\cos(\theta_{\rm s})}] \tag{12}$$

3) Compute the component temperatures by solving the corresponding energy balance equations. The net radiation is balanced by the sensible and latent heat fluxes in the canopy layer.

$$H_{c} + LE_{c} = Rn_{c} \tag{13}$$

$$H_{c} = \rho c_{p} \frac{T_{c} - T_{a}}{r_{a} + r_{b}/(L + S)}$$
(14)

$$LE_{c} = \frac{\rho c_{p}}{\gamma} \frac{e_{s}(T_{c}) - e_{a}}{r_{a} + r_{c}}$$

$$\tag{15}$$

$$LE_{c} = \alpha_{PT} \frac{\Delta}{\Delta + \nu} Rn_{c}$$
 (16)

where ρ is the air density (1.25 kg/m³), c_p is the specific heat of air (1005 J/kg/K) at a constant pressure, γ is the psychrometric constant (0.667 hpa/K), Δ is the slope of the saturated vapor pressure to the air temperature, and $e_s(T_c)$ is the saturated vapor pressure at temperature T_c .

A nonlinear equation with only one unknown variable (T_c) can be derived from Eqs. (13), (14), and (15) for Gc-TSEB. The

equation can be solved using the Newton–Raphson iteration approach. The existence and uniqueness of the solution are guaranteed by the monotonically increasing property of the function $F(T_c) = H_c + LE_c - Rn_c$. Similarly, T_c can be derived from Eqs. (13), (14), and (16) for PT-TSEB.

For the soil layer, the net radiation is partitioned between the sensible heat flux, latent heat flux, and soil heat flux. Similarly, a unique solution for the soil temperature can also be achieved through Newton–Raphson iteration using Eqs. (9) and (17)–(20).

$$H_S + LE_S + G = Rn_S \tag{17}$$

$$H_{\rm s} = \rho c_{\rm p} \frac{T_{\rm s} - T_{\rm a}}{r_{\rm a} + r_{\rm s}} \tag{18}$$

$$LE_{s} = \frac{\rho c_{p}}{\gamma} \frac{h_{r} e_{s}(T_{s}) - e_{a}}{r_{a} + r_{s} + r_{ss}}$$

$$\tag{19}$$

where h_r is the relative humidity of the air adjacent to the soil water (Camillo and Gurney, 1986), and $e_s(T_s)$ is the saturated vapor pressure at temperature T_s .

4) Determine the new LST (denoted as LST_{new}) as the composite of T_c and T_s in step 3 using the vegetated fraction as the interpolation weight (Norman et al., 1995).

$$LST_{new} = \left[f_c T_c^4 + (1 - f_c) T_s^4 \right]^{1/4}$$
 (20)

$$f_c = 1 - \exp(-0.5LAI)$$
 (21)

5) Set LST as (LST+LST_{new})/2 if | LST_{new} – LST| is larger than the given threshold (taken as 0.1 K in this study) and then repeat step 2; otherwise, the iteration procedure ends. When the iteration ends, the *LST* and energy fluxes are those from steps 4 and 3, respectively.

We use the quality-controlled MODIS LST as LST_{act} to calibrate the model parameters. The penalty function is defined as the root mean square error (RMSE) of the modeled LST. The simulated annealing technique (Dekkers and Aarts, 1991; Kirkpatrick et al., 1983) is used to search for the optimized set of parameters in the parameter space to minimize the penalty function. The simulated annealing technique can achieve global optima by the so called hill-climbing moves to avoid being trapped in local minima. Models that are calibrated by flux measurements are also used as references to evaluate the performances of the models that are calibrated by the LST. In the flux calibration mode, the penalty function is defined as the sum of the RMSEs of the modeled *H* and LE.

The ranges for the parameters are set as follows: α_{PT} : 0.5–2, g_{sx} : 0.002–0.15 m/s, Q_{50} : 20–50 W/m², D_{50} : 0.7–1.5 kPa, k_Q : 0.3–1.0, a_0 : 5–15, a_1 : 0–15, Ω : –10 to 2, α_G : 0.15–0.35. At the same time, on average, the maximum values of g_{sx} , together with Q_{50} , D_{50} , and k_Q , must result in a corresponding α_{PT} value of not larger than 2. To avoid over-tuning the parameters, we further constrain Ω under the principle that, on average, the effect of Ω ($|\Omega^*h_c|$) will not exceed that of the LAI in the formulation of r_s .

4. Study site description and data preprocessing

To run the models and evaluate their performances, we downloaded the in-situ measurement data of the TongYu station from the Coordinated Energy and Water Cycle Observations Project (CEOP) reference site data archive (http://www.ceop.net/) and the MODIS products from the Goddard Space Flight Center (http://ladsweb.nascom.nasa.gov/data/). The data that were used in this study are summarized in Table 1. In this section, we briefly describe the TongYu station, the processing of the flux data, and the construction of the calibration and validation datasets.

TongYu station, which contains two identical observation systems at a crop site (44.5921°N, 122.8773°E) and a grass site (44.5672°N, 122.9298°E), is located on the SongNen plain, which is one of the most important areas of grain production in China. The annual mean air temperature at TongYu station is 5.2°C, and the annual mean precipitation is 404.3 mm. Corn is planted at the crop site and reaches its maximum height (\sim 1.8 m) in September. Short grass grows at the grass site and remains less than 0.1 m high for the entire year (Tu, 2007). The different land covers at Tongyu station provide good opportunities to evaluate the models.

All of the in-situ measurements were recorded at an interval of 30 min and represent either instantaneous measurements or 30-min averages prior to the recorded observation time (Table 1). The EC systems measured fluxes at the spatial scale of the MODIS LST (approximately 0.01°) because the station is surrounded by homogeneous flat terrain and is not sheltered by tall obstacles. Closure corrections must be performed on the sensible and latent heat fluxes from the EC systems before the flux measurements can be used. In addition, to work with satellite products, the flux measurements should be interpolated to instantaneous values. We partitioned the instantaneous available energy during the satellite passage between the sensible and latent heat fluxes based on the 30-min average evaporative fraction that was measured by the EC system (Twine et al., 2000).

Soil heat flux measurements below the surface are not comparable to the model-predicted surface values. We used the calorimetric method (Heusinkveld et al., 2004) to estimate the soil heat flux at the surface by combining the heat storage in the top 0.05 m soil layer and the soil heat flux at 0.05 m below the surface. The near surface soil moisture was derived from in-situ measurements instead of microwave retrievals because microwave measurements provide soil moisture estimates at a coarser temporal resolution (polar satellite passes near noon every day) than the 30-min scale that was used in this study. In addition, the rationality of estimating the near surface soil moisture at pixel scales using point measurements will be discussed in Section 5.2.

For each site, we first construct a data set for model calibration. We cover a time period from DOY 180 to DOY 270 in 2003 and 2004 during which the corn fields were in the growing period. The calibration data are taken from the time when the highest quality MOD11L2/MYD11L2 LST data are available. The calibration data set includes remotely sensed products, atmospheric forcing, soil moisture, and energy flux measurements at these timings. Second, the validation data set includes the same type of inputs except for LST but covers different timings. The model inputs at a 30-min scale from 8:30 to 17:30 (local time) during the entire study period are used for the model evaluation.

5. Results and discussion

5.1. Model calibration and validation

Overall, using LST is almost as effective as using the flux measurements in calibrating the model parameters (see Table 2). The Gc-TSEB model-estimated *H* and LE had similar accuracies compared with the observations using both calibration modes (Table 3, Fig. 3), whereas the LST-calibrated PT-TSEB (denoted as PT-TSEB_{LST}) had slightly higher discrepancies with the observed fluxes compared to the PT-TSEB that was calibrated using the flux measurements (Table 3). In contrast, the PT-TSEB without calibration significantly overestimated the observed LE.

The PT-TSEB model algorithm in this study used a different resistance network formulation from the original TSEB_{SM} model developed by Kustas et al. (1998). Therefore, the significant overestimation in LE in applying the non-calibrated PT-TSEB model is

Table 1Summary of the data used in this study.

Data	Measurements	Height	Inst/Aver ^a	Usage
Forcings	Incoming radiation	3 m	Inst	$R_s \downarrow R_1 \downarrow$
-	Air temperature	3.95 m	Inst	$T_{\mathbf{a}}$
	Specific humidity	3.95 m	Inst	Estimate ea
	Air pressure	1.5 m	Aver	P_{a}
	Wind speed	17.06 m	Aver	u
Subsurface	Soil temperature	$-0.02\mathrm{m}$	Inst	Estimate G
measurements	Soil moisture	$-0.05\mathrm{m}$	Inst	w
Flux measurements	Sensible heat fluxes	3.5 m ^b	Aver	Н
	latent heat fluxes	3.5 m ^b	Aver	LE
	Soil heat flux	$-0.05\mathrm{m}$	Aver	Estimate G
MODIS products	MOD11L2/MYD11L2		Inst	LST
•	MOD15A2		Inst	LAI
	MCD43B3		Inst	albedo

^a Inst stands for instantaneous. Aver stands for average.

Table 2Parameters calibrated by LST or EC measurements at the crop site and the grass site, respectively.

Gc-TSEB	g _{sx} (m/s)	Q ₅₀ (W/m ²)	D ₅₀ (kPa)	kQ	a_0	a_1	Ω	$lpha_{ m G}$
Crop, LST	0.013	29.9	0.95	0.50	15.0	12.4	0.68	0.20
Crop, H + LE	0.013	21.7	0.94	0.69	12.0	8.3	0.27	0.30
Grass, LST	0.044	20.3	0.71	0.31	13.4	9.2	-6.38	0.35
Grass, $H + LE$	0.022	27.9	0.77	0.72	7.3	0.7	-3.54	0.35
PT-TSEB	$lpha_{ ext{PT}}$				a_0	a_1	Ω	$lpha_{G}$
Crop, LST	1.027				14.4	11.7	0.58	0.15
Crop, H+LE	1.079				15.0	11.5	1.01	0.19
Grass, LST	1.210				11.9	7.5	-7.47	0.34
Grass, $H + LE$	1.137				7.5	0.6	-4.96	0.35

Table 3RMSEs and biases of the model predictions during the validation period at the crop site and the grass site.

	LST(K) ^a		$R_{\rm n}(W/m^2)$		$H(W/m^2)$		LE(W/m ²)		$G(W/m^2)$	
	RMSE	BIAS	RMSE	BIAS	RMSE	BIAS	RMSE	BIAS	RMSE	BIAS
Gc-TSEB										
Crop, LST	2.71	0.13	30	20.8	44.8	11.4	67.8	1.4	26.5	8.0
Crop, H+LE	3.89	-2.65	39.6	31.1	41.7	-0.6	68.9	6.4	40.5	25.3
Grass, LST	3	0.39	27.3	18.6	39.1	-0.9	57.3	-5.8	34.6	25.4
Grass, $H + LE$	3.34	-0.03	30.8	21.3	37.5	-1.2	56.5	-2.8	35.4	25.3
PT-TSEB										
Crop, LST	2.69	-0.28	30	20.9	44.6	26.3	54.3	-6.7	23.4	1.24
Crop, H+LE	4.4	2.97	23.2	8.8	39.4	16.1	54.3	-13.6	25.5	6.3
Crop, NC ^b			50.1	40.9	84.7	-61.1	108.6	75	42.1	27.0
Grass, LST	3	0.21	48.2	40.2	52.1	22.5	61.1	-8.6	37.5	26.3
Grass, $H + LE$	3.3	0.19	32.6	24.2	36.7	12.3	51.3	-11.8	35.3	23.7
Grass, NC			47.5	39.5	63.4	-27.1	93.9	49.3	29.8	17.3

^a LST was evaluated during the calibration period.

not indicative of the results that would have been obtained using the original $\mathsf{TSEB}_{\mathsf{SM}}$ model formulation. In addition, because the LE_{C} that was estimated with α_{PT} taken as 1.26 resulted in relatively small differences from the flux-calibrated PT-TSEB (averages of $\sim\!20\,\mathsf{W/m^2}$ and $10\,\mathsf{W/m^2}$ at the crop and grass sites, respectively), the 1.26 initial value for α_{PT} was a reasonable value to adopt. In contrast, the overestimation in LE_{S} from applying the non-calibrated PT-TSEB exceeded $50\,\mathsf{W/m^2}$ at both sites compared with the PT-TSEB that was calibrated using the flux measurements, suggesting that the soil evaporation had been overestimated.

In contrast, the LE components from the LST-calibrated models were generally found to be highly correlated with their counterparts from the flux-calibrated models, and a maximum average

trade-off of only $23\,\mathrm{W/m^2}$ between $\mathrm{LE_c}$ and $\mathrm{LE_s}$ was found when Gc-TSEB was applied at the grass site (Table 4). The LST calibration mode ended up with a reasonable $\mathrm{LE_c/LE_s}$ partitioning, which is not surprising. During the calibration period, if LE is completely taken up by $\mathrm{LE_s}$ ($\mathrm{LE_c}$) when f_c is small, then the estimation of LST will be positively (negatively) biased when f_c is large because the transpiration will be too small (large). It is therefore expected that the LST calibration mode will work well if the calibration period covers the full range of f_c . This is promising because the partitioning of ET into evaporation and transpiration is important for assessing biomass production and the allocation of increasingly scarce water resources (Kool et al., 2014). As a comparison, the original TSEB_TR and TSEB_SM cannot adjust α_{PT} down unless the $\mathrm{LE_s} = 0$ threshold is

 $^{^{\}mathrm{b}}$ The measurement height for H and LE at the grass site was 2.0 m.

^b NC stands for no calibration.

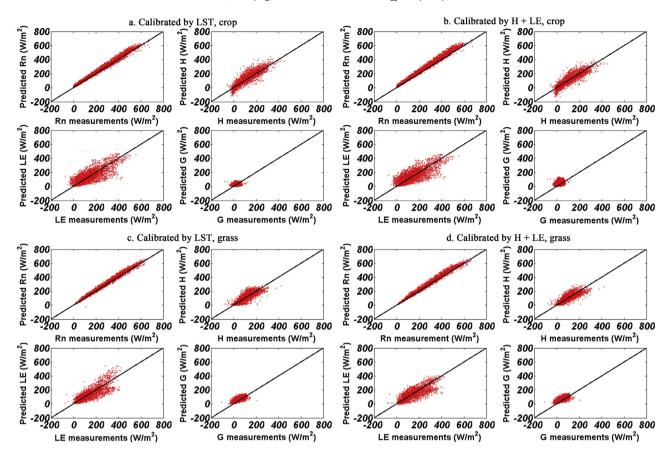


Fig. 3. Gc-TSEB predicted fluxes versus EC measurements during the validation period. Panels a and b show the model performances in predicting the fluxes when the model was calibrated by MODIS LST and EC measurements, respectively, at the crop site. Panels c and d show the model performances in predicting the fluxes when the model was calibrated by MODIS LST and EC measurements, respectively, at the grass site.

reached (Anderson et al., 2008), which usually results in overestimates of LE_c .

It should be noted that other factor in addition to the model parameters may cause errors in the LE_c and LE_s estimations in both models. For example, biases in the albedo may cause biases in R_n (Table 3), and the partitioning of R_n between the canopy and soil layers did not consider the difference between the divergences of the short and long wave radiations, which may cause biases in the LE_c and LE_s estimations.

The potential for using LST to solve the bulk surface resistance directly from energy balance equations (Boegh et al., 2002) or to optimize the resistance parameters in TSEB_{SM} has long been recognized. For example, Li et al. (2006) optimized a_0 and a_1 to reduce

 Table 4

 LE partitioning between the canopy and soil layers.

	LE _c				LEs			
	Min	Max	Mean	r^{a}	Min	Max	Mean	r
Crop								
Gc_{LST}	2.5	357.6	124.9	0.99	0.01	162.6	28.9	0.98
Gc_{flux}	3.1	357.7	127.9		-0.05	146.7	30.9	
PT_{LST}	0.9	341.2	116.1	0.99	0.01	171.6	30.8	0.99
PT_{flux}	0.8	353.3	117.2		0.01	143.8	22.6	
Grass								
Gc_{LST}	1.5	370.7	125.9	0.99	-0.4	212.3	17.7	0.45
Gc_{flux}	3.3	317.6	103.9		-24.6	115.3	40.0	
PT_{LST}	-0.3	370	113.1	0.99	-1.2	371.2	20.2	0.41
PT_{flux}	-0.1	336.8	102.5		-19	82.8	27.6	

^a r stands for the correlation coefficient between the predictions from models that were calibrated using the LST and fluxes.

the LST and H biases and found that factors other than a_0 and a_1 may be responsible for the model-measurement discrepancies. As a result, although different datasets and model structures were used, the successful use of remotely sensed LST for the calibration in this study indicated that it may be appropriate for the resistance parameters that are related to both the canopy and soil layers to be adjusted together to account for the bias of the predicted LST.

For example, the calibrated ratio α_G in this study resulted in well-constrained RMSEs and biases of G for both models, especially at the crop site. In addition, at the crop site ($h_c \approx 1.5 \, \mathrm{m}$), because of the larger Ω from calibration, the under-canopy resistance would also be larger than that at the grass site ($h_c \approx 0.05 \, \mathrm{m}$) under the same LAI and canopy top sheer stress conditions, which represents the effect of increasing plant height on r_s (Eqs. (4) and (5)). The automatic adjustments of Ω at the two sites indicated that our modification of the interpolation weight (w_s) of the turbulent transfer coefficient is reasonable and that the calibration procedure provides insights into the heat transfer process rather than just tuning the parameters to fit the observation data, although we do not define a unique set of parameters for natural land covers.

As mentioned in Section 2, it is important to treat $r_{\rm S}$ in a consistent way for vegetated surfaces with vegetation covers ranging from 1 to 0. For example, Sanchez et al. (2008) modified the original TSEB_{TR} model into a "patch" version such that the wind profile in the air space is not related to the vegetation cover or canopy height. This patch version of the TSEB is quite different from the parallel formulation used in this study in both the resistance network and energy flux computation, but future work will test its usefulness of incorporating the canopy conductance in clumped vegetation situations.

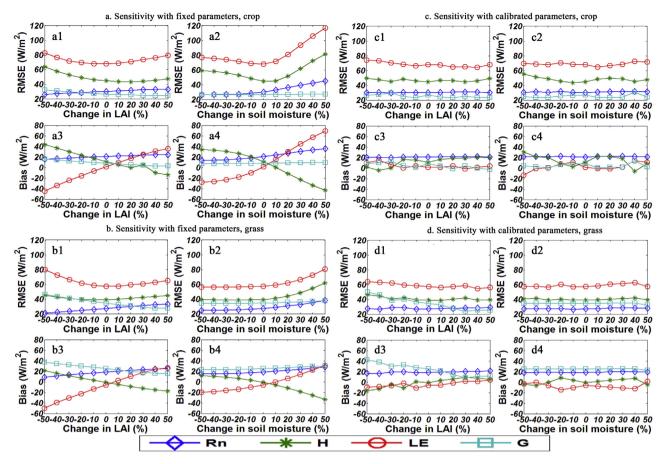


Fig. 4. RMSEs and biases of the energy flux predictions from Gc-TSEB with $\pm 50\%$ changes of LAI or near surface soil moisture during the validation period. a1–a4 and b1–b4 show the model performances with fixed parameters at the crop site and the grass site, respectively; c1–c4 and d1–d4 show the model performances with the recalibrated parameters at the crop site and the grass site, respectively.

5.2. Sensitivity analysis of model performances

In this section, we will analyze the models' sensitivities to the LAI, near surface soil moisture and LST because the construction and calibration of the models' resistance networks are mainly based on these three variables.

During the study period, the LAI at the crop (grass) site ranged from 0.4 (0.3) to 2.8 (1.6) with a mean of 1.11 (0.68), and the near surface soil moisture (volumetric content) ranged from 13.4% (8.8%) to 36.7% (42.8%) with a mean of 22% (15.2%). We set the changes of these two variables to range from -50% to 50% at an interval of 10%. Two different sensitivity analyses are provided for the LAI and soil moisture. First, we ran the model with the changed values of LAI or near surface soil moisture with a fixed set of parameters that were calibrated by the LST with the original input data. In the second way, we calibrated the model parameters against LST every time the LAI or near surface soil moisture was changed. The recalibrated models were then used to calculate the energy fluxes.

Both models are sensitive to the LAI and near surface soil moisture. At both sites, the LAI and near surface soil moisture had positive impacts on LE when the models were run with the fixed parameters, and the magnitude of the impacts can be greater than $80\,\mathrm{W/m^2}$ and $60\,\mathrm{W/m^2}$ at the crop and grass sites, respectively (Figs. 4 and 5. a3 and a4 and b3 and b4). The RMSE curves of H and LE both had concave shapes and generally increased with the amplitude of the input variation (Figs. 4 and 5. a1 and a2 and b1 and b2). The sensitivity analysis indicates that both models are able to reflect the LE variations under heterogeneous LAI and soil moisture conditions.

For the recalibrated Gc-TSEB, no obvious trend of H and LE biases (except for the bias of H at the grass site with changing LAI) was observed with the change of LAI or near surface soil moisture, and the RMSEs of all of the flux predictions from Gc-TSEB remained nearly constant (Fig. 4. c1–c4 and d1–d4). In addition, at both sites, the absolute values of the biases of H and LE were always smaller than the corresponding R_n biases (nearly constant at $\sim 20 \, \text{W/m}^2$), except that the bias of H at the crop site (30.5 W/m^2) was slightly larger than the R_n bias (21.2 W/m^2) when the near surface soil moisture was decreased by 50%. This indicates that the uncertainties of the predictions could be constrained when the Gc-TSEB model was recalibrated with the changed inputs.

Compared with Gc-TSEB, PT-TSEB showed less robustness at the crop site; the RMSEs and biases were not well constrained with varying LAI (Fig. 5). However, both models were found to be quite robust by the recalibration sensitivity tests. In the recalibration cases, Gc-TSEB also showed robustness in partitioning LE into LEc and LEs at both sites (Fig. 6), and PT-TSEB showed similar robustness at the grass site. Although it was less robust than Gc-TSEB at the crop site, especially when the LAI was decreased by 30% and when the soil moisture content was decreased by 40%, PT-TSEB performed quite well with changes of $\pm 20\%$ in both inputs.

The sensitivity tests presented above indicated that the models would perform reasonably well even with flawed input data if only the error of the model-predicted LST is minimized. The resistance network would automatically adapt to the change in the input data. The maximum stomatal conductance or α_{PT} would increase to compensate for the effect of the decreased LAI on the canopy conductance and vice versa. Similarly, when the near surface soil

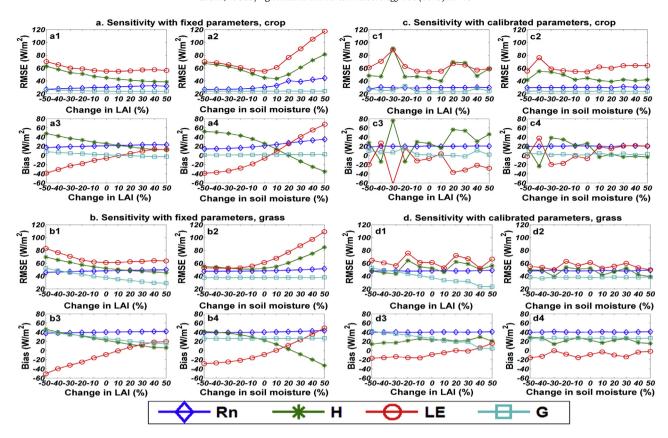
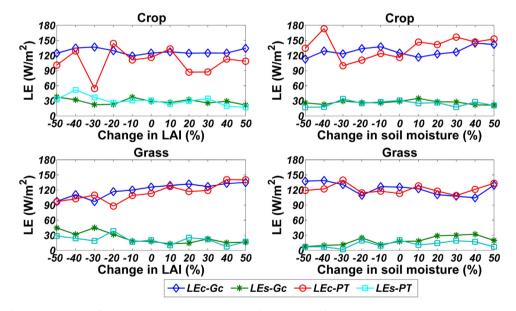


Fig. 5. RMSEs and biases of the energy flux predictions from PT-TSEB with $\pm 50\%$ change of LAI or near surface soil moisture during the validation period. a1–a4 and b1–b4 show the model performances with fixed parameters at the crop site and the grass site, respectively; c1–c4 and d1–d4 show the model performances with the recalibrated parameters at the crop site and the grass site, respectively.



 $\textbf{Fig. 6.} \ \ \textbf{LE partitioning from both models with} \ \pm 50\% \ changes \ of LAI \ or near surface soil \ moisture \ during the \ validation \ period.$

moisture was decreased, the resistance of the surface soil to water vapor would also decrease by reducing the difference between the two coefficients of r_{ss} ; that is, a_0 – a_1 and vice versa.

The robustness of the two models, especially Gc-TSEB, is of great practical use because the model inputs, especially the near surface soil moisture, may be biased systematically by measurement errors and scale effects. Although the near surface soil moisture is highly variable in both space and time, its spatial patterns tend to

persist over time, which is known as the temporal stability (Vachaud et al., 1985). As a result, soil moisture contents from in-situ measurements, passive microwave remote sensing, or soil moisture balance models (Yan et al., 2012) are often highly correlated with those at MODIS scales, in which case the model performances are guaranteed by the robustness of both models.

Because the model robustness depends on the accuracy of the LST, the impacts of LST errors on the model performances were also

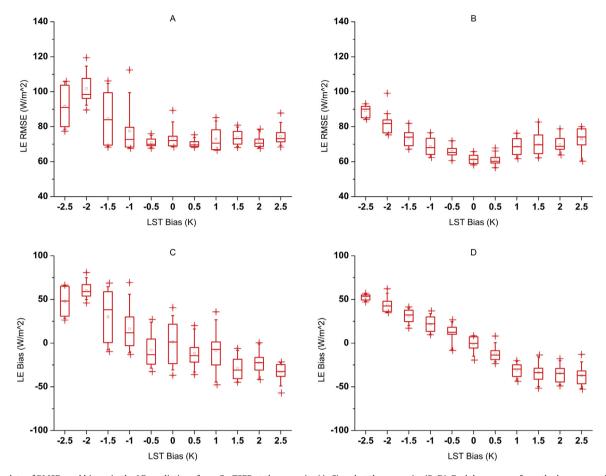


Fig. 7. Box plots of RMSEs and biases in the LE predictions from Gc-TSEB at the crop site (A, C) and at the grass site (B, D). Each box ranges from the lower quartile (25th) to the upper quartile (75th). The median is represented by the middle line in the box. The plus signs represent the points beyond the whiskers.

analyzed. We progressively added increasing amounts of noises that followed the Gaussian distribution N(μ , σ^2), where σ = 2.5 K, and μ = 0, \pm 0.5, \pm 1, \pm 1.5, \pm 2, and \pm 2.5 K, to the original LST signal and then re-calibrated the models with the original inputs. For each pair of (μ , σ), we calibrated and ran models ten times; each time used a new set of LST signals.

Overall, the models are quite sensitive to the mean biases of the LST. Box plots of the LE prediction performance (Figs. 7 and 8) show that the medians of both the RMSEs and the absolute values of the biases in LE increased with $|\mu|$. Each box could cover a wide range even when $|\mu|$ was small because the noise we added to the LST signal was random, which means that even with $\mu = 0$, there is still a chance that the mean of the added noise is much larger or smaller than 0. If the LST is systematically biased, it is no longer as effective as the flux measurements in calibrating models (compared to Table 3). However, LST calibration is still valuable for improving the model performance. We found that both models that were calibrated by the noise-affected LST performed better than the non-calibrated PT-TSEB; they usually had smaller RMSEs and absolute values of the biases even when the mean bias of the LST reached ± 2.5 K with a standard deviation of 2.5 K (Table 3 and Figs. 7 and 8). In addition, when $|\mu|$ was less than 1 K, the medians of the RMSEs from both models, especially from Gc-TSEB, were similar to those from the models that were calibrated by flux measurements.

Independent evaluations of the Version 5 MODIS LST at more than 40 sites, including lake, snow, urban, crop, grass, and forest sites, showed that under clear-sky conditions, the means and standard deviations (STDs) of the LST errors are usually within 1 K (within 2 K in all cases) (Coll et al., 2009; Wan and Li, 2008; Wan, 2014). However, large LST errors (mean bias = -2.79 K and

STD= $2.52\,\mathrm{K}$) at bare soil sites in arid regions have also been reported (Li et al., 2014). Therefore, caution should be taken if the calibration dataset mainly consists of data from low vegetation periods.

5.3. Evaluations of day-to-day and diurnal flux predictions

LE at daytime scales and its diurnal variations are useful in many water related applications, such as irrigation scheduling and watershed water resource managements. We aggregated LE predictions from the LST-calibrated Gc-TSEB and PT-TSEB models to daytime scales. Overall, the daytime predictions matched the trends of the EC measurements well and greatly outperformed those from the non-calibrated PT-TSEB model at both sites (Fig. 9). Although precipitation was not incorporated directly in the Gc-TSEB and PT-TSEB models, both models' LE predictions showed clear trends and peaks that were usually related to precipitation events.

In contrast, although the PM-Mu model demands fewer inputs (wind speed, soil moisture) and is easier to use (no iteration procedures are needed), using it with the default biome-specific parameters from Mu et al.'s paper (2011) performed not as well as the LST-calibrated Gc-TSEB and PT-TSEB models (Table 5) and was unable to simulate the LE trends at both sites on a day-to-day basis (Fig. 9). Note that this comparison is not intended to deny the rationality or the applicability of the PM-Mu model at global scales. In addition, like TSEB schemes, Gc-PM models have the ability to incorporate surface soil moisture data to implicitly reflect the controlling effect of precipitation on LE (Sun et al., 2013). However, unlike Gc-TSEB and PT-TSEB, it is difficult to link LST to Gc-PM models because the PM equation results from the elimination of LST in

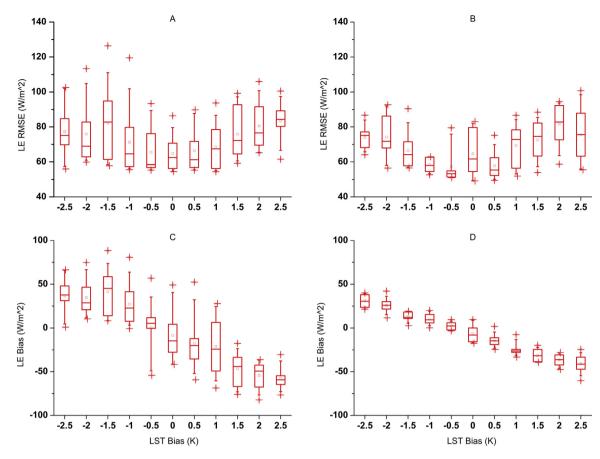


Fig. 8. Box plots of RMSEs and biases in the LE predictions from PT-TSEB at the crop site (A, C) and at the grass site (B, D). Each box ranges from the lower quartile (25th) to the upper quartile (75th). The median is represented by the middle line in the box. The plus signs represent the points beyond the whiskers.

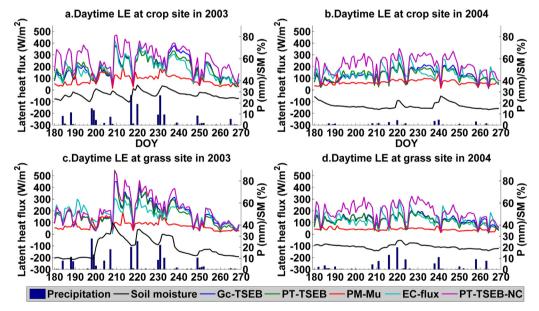


Fig. 9. Daytime LE predictions from the Gc-TSEB, PT-TSEB, PM-Mu, and non-calibrated PT-TSEB (PT-TSEB-NC) models.

the surface energy balance equation (Zhan and Kustas, 2001). As a result, the reliance on in-situ measurements in pixel-wise calibrations may be an obstacle to Gc-PM type models, especially when the models are applied to mixed pixels.

However, it should be noted that despite providing overall good performance, Gc-TSEB and PT-TSEB models that are calibrated by LST may produce systematically biased predictions due to the decoupling effect of soil moisture at different depths (Capehart and Carlson, 1997) and the fact that the soil surface energy balance is more strongly coupled to the surface moisture conditions than at deeper layers (Kustas et al., 2003). For example, light precipitation events (e.g., less than 12 mm) that moistened the

Table 5 RMSEs and biases of the daytime predictions of R_n and LE.

		$R_{\rm n}$		LE		
		Bias (W/m²)	RMSE (W/m²)	Bias (W/m²)	RMSE (W/m²)	
Crop	Gc-TSEB	13.62	47.16	1.39	48.65	
	PT-TSEB	20.91	47.99	-6.66	42.14	
	Gs-PM	65.4	87.44	-66.3	85.07	
	Gc-TSEB	10.47	46.03	-5.84	52.35	
Grass	PT-TSEB	40.19	59.64	-8.62	54.73	
	Gs-PM	63.33	84.85	-71.57	85.87	

soil surface sometimes hardly increased the soil moisture at a depth of 0.05 m, especially when the soil moisture content was low (e.g., DOY 184–195 in 2003 at the grass site); thus, both models underestimated LE by approximately 60 W/m² during that period. In addition, positive biases (Gc-TSEB: 84.8 W/m²; PT-TSEB: 96.2 W/m²) were found during some of the dry soil periods, such as DOY 209–216 in 2003 at the grass site, which indicates that the soil above 0.05 m dried much faster than the soil at 0.05 m.

To address this problem, we tried Lee and Pielke's general formulation (1992) of the soil surface relative humidity to estimate soil evaporation. Similar results of LE were produced, but no improvements in the LE estimates were found. This indicated that to improve estimates of soil evaporation, a new parameterization other than the heat transfer equation may be needed under soil moisture decoupling conditions.

To gain deeper insight into the dynamics of the Gc-TSEB and PT-TSEB models (calibrated by LST), we evaluated the models' diurnal performances at both sites during the period from DOY 195 to DOY 203 in 2003. In the middle of this period, precipitation occurred for three continuous days (DOY 198–200; 15.1 mm, 13.4 mm, and 4.6 mm, respectively, at the crop site and 27.8 mm, 13.3 mm, and 3.2 mm, respectively, at the grass site) (Fig. 9). The modeled LE matched the trends and magnitudes of the EC measurements well at the crop site but missed the peak on DOY 199 and failed to match the diurnal cycle on DOY 200 because of the daytime precipitation (Fig. 10). At the grass site, both Gc-TSEB and PT-TSEB produced similar LE trends to the EC measurements but underestimated LE by approximately 44.7 W/m² (Gc-TSEB) and 49.3 W/m² (PT-TSEB) because of the decoupling

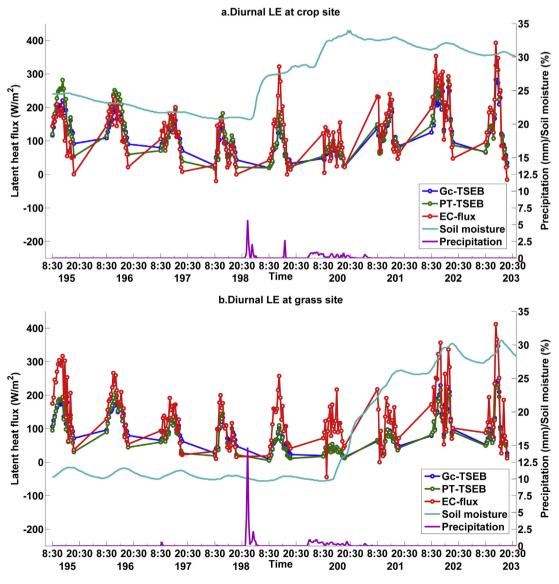


Fig. 10. Diurnal LE predictions from Gc-TSEB and PT-TSEB from DOY 195 to 203.

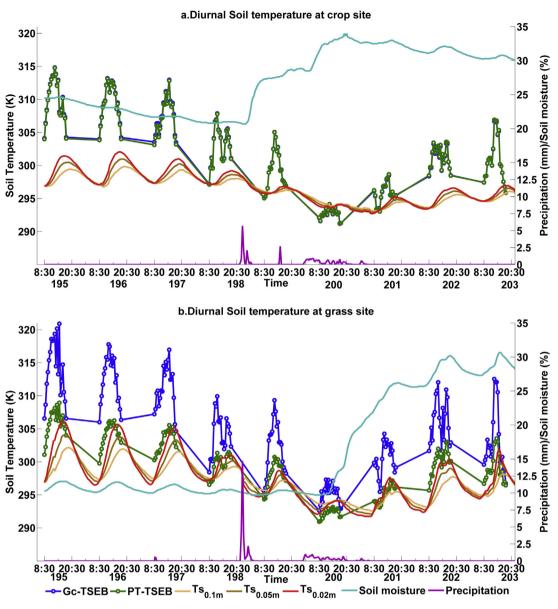


Fig. 11. Diurnal soil temperatures at different depths from DOY 195 to 203.

of the soil moisture content at the surface and at deeper layers.

The soil surface temperatures (T_s) from Gc-TSEB and PT-TSEB models vary in a consistent diurnal pattern with the measured soil temperatures at depths of 0.1 m, 0.05 m, and 0.02 m but with a phase shift ahead (Fig. 11). The direct evaluation of T_s is difficult because of the scale and depth differences between the modeled and measured values. However, the $\sim 20 \,\mathrm{W/m^2}$ bias of the $R_{\rm n}$ estimation when using remotely sensed LST during the calibration period indicates that the LST estimations from Gc-TSEB and PT-TSEB at the crop site and those from Gc-TSEB at the grass site were reasonable because the corresponding R_n biases were also approximately 20 W/m² during the validation periods (Table 3). As a result, the overestimation of R_n (\sim 40 W/m²) from PT-TSEB at the grass site (Table 3) indicated that the LST had been underestimated in this case. This underestimation may result from the smaller amount of coupling between the canopy temperature and the canopy fluxes in the PT-TSEB model than that in the Gc-TSEB model.

6. Conclusions

In this study, we incorporated a canopy conductance model into TSEB_{SM} to replace the original PT approximation and updated the formulation of the under-canopy resistance. We then optimized both models (the Gc version and the PT version) at pixel scales using qualified remotely sensed LST. The LE and its partitioning between the canopy and soil layers were found to be reasonable at both validation sites. In addition, LST was shown to be almost as effective as flux measurements in calibrating the models. The resistance networks of the Gc-TSEB and PT-TSEB models are adjustable, so they are not sensitive to the uncertainties of the LAI and the near surface soil moisture. As a result, the advantages of remotely sensed LST, such as their spatial continuity and their greater availability compared to flux measurements, allow the wide use of Gc-TSEB and PT-TSEB in energy flux estimations. Cloud contamination in LST images is no longer an impediment to remote sensing ET models because LST is only used in calibration instead of prediction.

The day-to-day and diurnal variations of the predicted LE matched the trends and peaks of the EC measurements well, although systematic biases were found due to the decoupling effect of soil moisture at different depths. In addition, systematic biases of LST may result in systematically biased flux predictions by overcalibrating the models. However, if the mean bias of LST is bounded by $\pm 1\,\mathrm{K}$ (STD of 2.5 K), the medians of the RMSEs in the LE predictions from the LST-calibrated models were found to be similar to those from the flux-calibrated models.

Overall, the time series of the calculated energy fluxes at the two sites of Tongyu station showed that the canopy conductance was successfully incorporated into the resistance network. More validations are needed at flux observation sites with various land cover types around the world to test the usefulness of the models as a routine method. Furthermore, improvements of the parameterization of the heat/vapor transfer resistances should also be included in the TSEB framework in the future, especially those that are concerned with soil evaporation.

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